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IMPACT OF THE EN-ECHELON FAULT CONNECTIVITY ON RESERVOIR FLOW SIMULATIONS

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Abstract

Limited resolution and quality of seismic data and time requirements for seismic interpretation can prevent a precise description of the connections between faults. We focus on the impact of the uncertainties related to the connectivity of en-echelon fault arrays on fluid flow simulations. We use a set of one hundred different stochastic models of the same en-echelon fault array. These fault array models vary in number of relay zones, relative position of fault segments, size of overlap zones and number of relay faults. We
automatically generate a flow model from each fault array model in four main steps: (1) stochastic computation of relay fault throw, (2) horizon building, (3) generation of a flow simulation grid, and (4) definition of the static and dynamic parameters. Flow simulations performed these stochastic fault models with deterministic petrophysical parameters entail significant variability of reservoir behavior, which cannot always discriminate between the types of fault segmentation. We observe that the simplest interpretation consisting of one fault significantly yields significantly biased water cut forecasts at production wells. This highlights the importance of integrating fault connectivity uncertainty in reservoir behavior studies.

**Introduction**

During the interpretation of compartmentalized reservoirs, the characterization of fault connectivity is often critical to match production history and make reasonable forecasts of reservoir performance (e.g., Jolley et al. (2007)). In this context, fault connectivity concerns not only the large-scale pattern of faults, which can originate from several tectonic episodes (Sanderson and Nixon, 2015), but also the phenomenon of en-echelon faults, which results from the growth, overlap and linkage of several fault segments, see for instance Peacock and Sanderson (1991); Cowie and Scholz (1992); Cartwright et al. (1995); Childs et al. (1995); Fossen and Hesthammer (2000); Walsh et al. (2003); Giba et al. (2012).

In the subsurface, the characterization of these zones typically relies of 3D seismic data but may be limited by the seismic resolution and artifacts (Thore et al., 2002). Indeed, the relatively wide damage zones around overlapping fault segments (Kim et al., 2004; Rotevatn et al., 2007) tends to diffract seismic waves and make
relay fault interpretations very delicate. Significant literature about the description and statistics about en-echelon fault arrays may be used to drive the fault segment identification (e.g., Cartwright et al. (1995); Walsh et al. (2003); Soliva and Benedicto (2004)). However, in practice, limited interpretation time is also a source of uncertainties, which can be exacerbated by the insufficient use of geological concepts (Kattenhorn and Pollard, 2001; Bond et al., 2007; Bond, 2015).

The impact of fault overlap zones on reservoir behavior has been studied by several authors (Bense and Van Balen, 2004; Micarelli et al., 2006; Manzocchi et al., 2008a; Rotevatn et al., 2009a,b; Manzocchi et al., 2010; Fachri et al., 2013). Relay zones are often described as flow conduits between two fault blocks which would otherwise be isolated (Bense and Van Balen, 2004; Manzocchi et al., 2010). However, the complexity and diversity of relay zones make it very challenging to define a general quantitative rule about their impact on fluid flow (Manzocchi et al., 2010; Bastesen and Rotevatn, 2012). Indeed, the overlap zones are usually associated with intense brittle deformation that can lead to the formation of a relay fault. Figure 1a shows a simplified view of a relay fold, which may be affected by fractures and compaction bands, while Figure 1b shows a more mature structure where the relay has been breached by a relay fault. These two configurations correspond to soft-linked segments (Figure 1a) and hard-linked segments (Figure 1b). Such relay structures can act as barriers or drains depending on the fluid types, the rock nature and the amount and type of deformation. Geometrically, the existence or absence of a connecting breach fault in an overlap zone can have a large effect on the juxtaposition of stratigraphic units on either sides of the fault zone. As a first approximation, the juxtaposition of two high permeability units increases the connectivity between two fault blocks, whereas a reservoir unit can be sealed due to its juxtaposition.
with low permeability units. However, more complex effects can occur due to the possible occurrence of cataclastic deformation bands or the smearing of shale in the fault planes.

Representing the effects of all these features of reservoir flow model is challenging, especially for multi-phase flow, see Manzocchi et al. (2010). A possible avenue is to integrate the effects of these features as deterministic or stochastic perturbations of transmissibilities between neighboring control volumes in the flow simulation grid. For example, Manzocchi et al. (2008a) capture the effects of small fault throw changes in a pillar-based reservoir grid and simulate relay zone frequency based on the mapped throw. In this paper, we instead explicitly create a new grid for each realization to capture the uncertainties.

For this, we build on a recent stochastic method that generates a set of possible segmentation configurations from a composite fault interpreted as one continuous structure (Julio et al., 2015). A segmentation configuration means here a 3D geometric model composed of overlapping segments separated by breached or intact relay zones. The method uses the orientation variations of the composite fault as indicators of the occurrence of relay zones. The models generated by this method mainly vary in number of fault segments, relative position of the segments, size of overlap zones and number of relay faults. From each fault model and horizon data, we create a synthetic numerical flow model made of a flow simulation grid associated with static and dynamic parameters.

As compared to transmissibility-based approaches, our method is not a priori constrained by a reference flow simulation grid and allows considering the effects of fault segments on the static accumulations. It probably allows for more variability in the simulated geometry of relay zones, by exploiting the capabilities of recent
advanced gridding algorithms to integrate more complex fault descriptions than
generally possible in pillar grids (Gringarten et al., 2008; Mallison et al., 2014). We
also believe such an explicit geometric representation could be interesting in the
future to integrate the effects of juxtaposition and damage zones on other physical
processes (e.g., geomechanics or seismic wave propagation). In the context of the
present paper which uses stair-step corner-point geometry flow grids, the method is
suitable for local flow models or global flow models in which the separation between
fault segments is larger than the areal grid resolution, as for instance in Rotevatn
et al. (2009a).

In the following, we present the method to stochastically simulate relay zones and
apply it to a reservoir model. Our approach extends the previous work by Julio et al.
(2015). In particular, we capture the fault juxtaposition uncertainties in the relay
zones by simulating possible throws of the relay fault, and we generate grids whose
topology and geometry may vary for each realization. This allows us to perform
a flow sensitivity analysis on all the simulated models to study the relationships
between the types of segments and the flow behavior.

[Figure 1 about here.]

**Automatic generation of segmented reservoir models**

Reservoir modeling generally aims at transforming geophysical and borehole in-
terpretations into a 3D reservoir flow grid. Standard workflows are roughly com-
posed of four main successive steps. (1) The first step consists of building a reservoir
structural model in which the geological interfaces, such as faults, horizons and un-
conformities, are represented as 3D surfaces (Mallet, 1988; Caumon et al., 2009).

(2) Then, a corner-point grid widely used in reservoir simulation provide a 3D mesh of the reservoir volume. (3) From well data, the petrophysical properties of the rock are computed using deterministic interpolations or stochastic simulations (Pyrcz and Deutsch, 2014). (4) Flow simulations may then be finally performed based on finite volume methods.

In this paper, we combine a new method to create a stochastic description of a 3D segmented fault (Julio et al., 2015) with standard existing methods for the steps 1-3. This section starts with a description of the data set used in our study and generated by the method of Julio et al. (2015). Then, we present the strategy applied to model the horizons. Indeed, as no horizon data points are available in relay zones, we propose to stochastically estimate the throw of the relay faults, and to use this estimation to constrain the interpolation of the horizon geometry in relay zones. Then, we explain how we create a conventional reservoir simulation grid for each of the stochastic structural models.

Data set and stochastic fault model generation

The proposed method is applied on a Middle East case study whose orientation, reservoir depth and fluid contact depth have been modified for confidentiality reasons. The data set used to model the reservoir is composed of: two horizon point sets and a normal fault $F$ (Figure 2). The two horizon point sets and the fault $F$ have been interpreted from a relatively low-quality onshore 3D seismic data set. These two horizons delimit a reservoir formation whose thickness is about 180 m and cover an area of 11 km by 1.1 km. The fault $F$ is a composite normal fault whose segmentation could not be clearly identified from the seismic data. The global geometry of the
reservoir is a monoclinal horst striking N 140 (Figure 2). The fault \( F \) strikes parallel to the main reservoir orientation and may be a potential flow barrier between the upper compartment and the lower compartment whose pressure is supported by an active aquifer located in the SW. The uncertainties associated to the exact location of this fault can also impact the OOIP because the top depth of footwall block is close to the oil-water contact depth. Therefore, small fault throw perturbation has a relatively large impact on reservoir closure. In the reservoir zone, the orientation of the fault \( F \) locally shows some abrupt variations in the strike direction.

Julio et al. (2015) quantify these strike variations and interpret them as possible indicators of overlap zone occurrence. Their stochastic simulation method simulates possible fault segments from approximately planar areas in the fault surface using probabilistic descriptions about relative segment size and overlap/size relationships. This method has been applied to generate one hundred segmentation models of the fault \( F \). These models may have different number of fault segments, size of overlap zones, relative position of segments and segment geometry. The occurrence or not of a relay fault in an overlap zone is determined from the ratio between overlap (overlap zone length) and separation (overlap zone width). If this ratio is superior to a stochastically-chosen threshold, a relay fault is modeled in the middle of the corresponding overlap zone (Soliva and Benedicto, 2004). In the vertical direction, the relay faults have the same extent as the associated overlapping segments. Figure 3 summarizes the generated configurations among the one hundred downscaled models of the fault \( F \). The three main obtained segmentation configurations are: 28% are two hard-linked left-stepping segments, 25% are two soft-linked right-stepping segments, 16% are three soft-linked segments (Figure 3).

The downscaling method introduced by Julio et al. (2015) deals only with the
uncertainty related to faults (treated as slip surfaces), without consideration of the
displacement in the relay zone that may be poorly-imaged on the seismic data.
Therefore, we now present a new algorithm to manage uncertainties on the throw
of relay faults, which can have a large impact on flow (Manzocchi et al., 2010).

[Figure 2 about here.]

[Figure 3 about here.]

*Stochastic computation of relay fault throws*

3D horizons are built by interpolation of input point sets extracted from 3D
seismic data. However, in the majority of cases, the low quality of seismic data does
not allow the characterization of the horizon geometry in overlap zones. In models
with a continuous ramp in the relay, the geometry is computed by interpolation
between horizon picks available on either side of the ramp. This is essentially similar
to making a thin-plate assumption of the horizon geometry within the relay ramp.
In models where the ramp is breached, the relay fault throw must be estimated
before interpolating the horizon geometry.

For this, we propose to simulate points that will be used as interpolation con-
strains for horizon building in breached relay zones. Consider a horizon denoted
$\mathcal{H}$ and a relay fault denoted $\mathcal{R}$. The method computes the vertical displacement
(denoted $d$) of the horizon $\mathcal{H}$ in the neighborhood of the relay zone, i.e. the total
displacement away from the relay fault $\mathcal{R}$. This displacement $d$ is computed from a
sphere centered on the relay fault center and whose radius is input by the interpreter
(Figure 4). The points associated with the horizon $\mathcal{H}$ inside the sphere are selected
and the algorithm differentiates the points located in the footwall of the relay fault
from the ones in the hanging wall. The mean difference in depth between these two
point sets gives an estimate of the vertical displacement $d$. If the sphere contains
no data point, it is enlarged until points are found. This methodology calls for reliable horizon picks in the vicinity of the fault, for example by eliminating potentially erratic points within a certain distance of the fault surface.

The vertical displacement $d$ corresponds to the sum of the throw ($d_{\text{Fault}}$) of the relay fault $\mathcal{R}$ and of the vertical displacement ($d_{\text{Fold}}$) associated with the ramp fold, which is also termed “throw deficit” (Faure Walker et al., 2009). The ratio between the relay fault throw $d_{\text{Fault}}$ and the total displacement $d$ at the relay fault center is related to the maturity of the relay zone. In our method, we use a probability distribution from which this ratio can be sampled to generate a particular realization.

In the vertical direction, this ratio is assumed to be maximal at the relay fault center and to decrease vertically towards the relay fault tips. Consider a function $\beta$ that characterizes the ratio evolution (Figure 4a), and a parameter $v$ that is the signed difference between the relay fault center depth and the mean depth of the horizon $\mathcal{H}$ inside the sphere. The value of the relay fault throw associated with the horizon $\mathcal{H}$ is defined as:

$$d_{\text{Fault}} = \beta(v) \cdot d$$

(1)

The hanging wall and the footwall may differently accommodate the brittle deformation. Therefore, we define a partition factor $\gamma$ (between 0 and 1) as the proportion of throw accommodated by the footwall (Georgsen et al., 2012; Laurent et al., 2013).

Thus, the values of throw in the footwall and in the hanging wall are:

$$d_{\text{Fault}}^{\text{FOOT}} = \gamma \cdot d_{\text{Fault}},$$

(2)
\[ d_{\text{Fault}}^{\text{HANG}} = (1 - \gamma) \cdot d_{\text{Fault}} \]  

The values \( d_{\text{Fault}}^{\text{FOOT}} \) and \( d_{\text{Fault}}^{\text{HANG}} \) are used to add synthetic horizon points conditioning the relay fault throw (Figure 4b). These new stochastic points and the initial point sets are used to interpolate the horizon geometry (Figure 4b). In terms of impact of these parameters, the value of \( \beta \) directly affects the geometry and the juxtaposition of rock units across the fault zone. The value of \( \gamma \) has probably less influence because it only affects the depth of the layers in the fault zone and not the juxtaposition.

In our application, the parameter \( \beta(0) \), characterizing the ratio between the relay fault throw and the total vertical displacement at the fault center, is randomly chosen from a Gaussian distribution defined by a mean and a standard deviation equal to 0.5 and 0.08, respectively. This means that the relative throw deficit due to the relay is assumed to vary between 34% and 56% of the global throw \( d \) in 95% of the cases.

The choice of these values is here arbitrary, so further studies should be made to define \( \beta(0) \) according to the lithology and to the intensity of the deformation. The partition factor \( \gamma \) is also chosen from a Gaussian distribution defined by a mean and a standard deviation equal to 0.5 and 0.08, respectively. Indeed, as the relay faults have been simulated in the middle of the overlap zones, we make the parsimonious assumption that, on average, the footwall and the hanging wall accommodate about the same quantity of deformation.

[Figure 4 about here.]
Grid computation and petrophysical modeling

Based on the API (Application Programming Interface) of the geomodeling software Gocad-SKUA, we have developed a plugin which implements the stochastic segmented fault downscaling approach described above and then automatically generates a corner-point grid honoring these structures (Figure 5a). The gridding method generates stair-step corner-point grids as described in Gringarten et al. (2008). Essentially, the reservoir grids honor the stratigraphic layering and maintain sub-orthogonal cell shapes suitable for conventional reservoir simulation. As a result, the faults are discretized as stair-step cell faces.

This allows us to efficiently build grids from a large set of stochastic structural models. The grid dimensions are globally equal to 11 km $\times$ 3 km $\times$ 0.8 km. Each grid is composed of the same number of cells ($230 \times 30 \times 20 = 230,000$), yielding an average grid block size of 48 m $\times$ 122 m $\times$ 8.6 m. However, due to the topological and geometrical changes of the fault array, the number of active cells slightly varies in each model and is approximately equal to 112,000 (cells are considered dead if their pore volume is lower than 100 m$^3$).

To isolate the effect of fault uncertainty on flow behavior, we have used the same synthetic petrophysical model in all the simulated grids. This petrophysical model assumes laterally continuous but vertically layered rock types as could exist for instance in turbiditic lobes. The Net-To-Gross values have been chosen constant and equal to 0.8. The porosity and the permeability have been simulated as stationary Gaussian random fields using a Sequential Gaussian Simulation (Figure 5b). We used spherical variogram models with ranges of 5 km, 3 km and 5 m in the N 140, N 230 and vertical directions, respectively. The porosity approximately follows a
normal distribution of average 0.13 and standard deviation 0.02. The horizontal
permeability is isotropic and approximately follows a triangular distribution of min-
imum 200 mD, mode 600mD and maximum 1500mD. It has a 0.98 rank correlation
coefficient with the porosity values. The $K_V/K_H$ ratio is taken constant and equal
to 0.001 to compensate for the relatively coarse vertical grid resolution.

Flow simulations results and interpretations

Fluid flow simulation parameters

The en-echelon fault array completely crosses the reservoir from NW to SE (Fig-
ure 5). The faults are considered as partially sealing with transmissibility multipliers
assumed constant and equal to 0.05.

Two initial fluids, water and oil, are initially present in the reservoir. The initial
water saturation in the oil zone is 0.05 and the residual oil saturation after water
flooding is 0.24. The water oil contact vertically crosses the fault array (Figures 6
and 7). At the SW, an aquifer maintains the reservoir pressure during oil production
(Table 1).

The reservoir production scenario takes advantage of aquifer pressure support
and only uses two production wells $w_1$ and $w_2$, located in the NE near the top of the
structure (Figure 5, Table 1). In the initial state, all the well perforations are located
in the oil zone. The wells are controlled by the oil production rate but completions
may be shut down if the bottom-hole becomes lower than an input threshold (Table
1).

[Figure 5 about here.]
Fault segmentation impact on flow simulations

From the 100 downscaled models, we obtained 93 flow simulations. The seven other models failed during the automatic grid generation step or the flow simulations. In this section, we compare the oil saturation and the water cut evolution of the different segmented reservoir models (Figures 9, 7, 10, 11).

Range of initial conditions. The stochastic estimate of relay fault throws and the interpolation between point sets involve some variations on the initial oil in place value of the stochastic downscaled models. The mean and the standard deviation are equal to 176.8 $Msm^3$ and 1.710 $Msm^3$, respectively (Figure 8). These variations can be explained because the local throw and reservoir top depth variations directly affect the gross rock volume above the oil-water contact. The model composed of the single fault $F$ (177.3 $Msm^3$) is close to the mean (Figure 8).

Range of dynamic responses. After 30 years of production, the water cut values vary from 0.13 to 0.91 in well $w_1$ and from 0.15 to 0.91 in well $w_2$ (Figure 10a-b). This very high dispersion of water-cuts highlights the significant impact of fault segmentation on reservoir behavior. In the reservoir model composed of the continuous fault $F$ (before downscaling), the water-cut values are respectively equal
to 0.37 and 0.85 in wells $w_1$ and $w_2$ after 30 years of production (Figure 9). These two values are close to the extreme values of the statistics of downscaled models. Indeed, the deterministic water cut value (0.37) for the well $w_1$ is inferior to the 10th percentile (0.43) of the stochastic models, and, on contrary, the deterministic water cut value (0.85) for the well $w_2$ is superior to the 80th percentile (0.81) of the stochastic models. Thus, performing flow simulations on the fault $F$ without consideration of the segmentation uncertainties may lead to major approximations in dynamic behavior predictions, and therefore in oil production estimates.

**Fault segmentation configurations and flow responses.** One of the outputs of the downscaling method is the probability of segmentation configurations (Figure 3). These configurations can be seen as samples of discrete structural scenarios. Could these scenarios be discriminated from actual reservoir production data? To answer this question, for each of these configurations, we analyze the water cut evolution and the breakthrough time (considered occurring when the water fraction reaches 0.01 at producer wells).

Figure 10c-d shows the evolution for models composed of two hard-linked left-stepping segments and of two soft-linked right-stepping segments. In the well $w_1$, the water cut at a given time is globally higher for two soft-linked than for two hard-linked segments. The opposite result is clearly observed for the well $w_2$. Figure 11 shows statistics about water breakthrough times for the main different configurations, which confirm the previous observations. In the well $w_1$, the water breakthrough is earlier for two soft-linked segments than for two hard-linked segments (Figure 11a). The water delay is likely due to the relay fault that slows down the percolation of water across the ramp (Figure 7b). Conversely, in the well $w_2$, the water breakthrough is earlier for two hard-linked segments than for two soft-linked
segments (Figure 11b). This can be explained by the relatively large water production in the well \(w_1\) in the case of two soft-linked segments, allowing the well \(w_2\) to remain longer in the oil zone (Figure 7b-d).

We can also analyze the difference on dynamic behavior between three soft-linked segments (no ramp is breached) and two soft-linked segments (Figures 7c-d, 10e-f and 11). In the well \(w_1\), the water breakthrough is, on average, earlier for three-segment models than for two-segment models (Figure 11a). This can be explained by the small throw of the central segments in three-segment configurations, leading to a significant juxtaposition area of reservoir layers (Figure 7c). As these segments are only partially sealing, they act as major preferential flow paths. In the well \(w_2\), no clear relationship appears between flow trends and segmentation patterns (Figures 10f and 11b).

Similarly, the configurations composed of three soft-linked segments are hardly differentiated using the water cut evolution (Figures 10g-h and 11). Nonetheless, as the models with such configurations are few, the corresponding statistics should be cautiously analyzed. Overall, the configurations composed of soft-segments are difficult to differentiate one from another. However, the configuration composed of two hard-linked left-stepping segments presents a dynamic behavior different from the other configurations analyzed in this section (Figure 11).

While segmentation patterns affect flow paths in the reservoir, a high variability of flow responses is also observed among models of a same pattern (Figures 10, 11). This is likely due to the large vertical variability of the permeability, which involves large changes in fault transmissibility as the throw changes. This may also stem from geometric variations of the segments, relay zone locations and local layer dip changes.
Discussion and conclusions

This paper presents a study of fault segmentation effects on flow simulations using a sample of possible configurations computed stochastically from a large-scale composite fault. For this, we have developed a new process that automatically generates structural models, flow simulation grids and petrophysical properties. This provides an alternative to methods which perturb the transmissibilities of a reference pillar-based reservoir simulation grid.

Several improvements could be added in the stochastic simulation method. At present, we have made the choice to always use the same geometric rules to generate breach faults. As a result, simulated breach faults always have the same relative strike as compared to the fault segments. This could be made variable, as it has been shown to have an impact on strain localization during fault growth (Faure Walker et al., 2009). Also, the downscaling method does not presently use throw estimation to constrain the number of segments. As discussed in Julio et al. (2015), this information could either be integrated in the stochastic segmentation method or used as a criterion to assess the likelihood of the stochastic models after the simulation.

While the present study focuses on uncertainties related to fault connectivity, several additional sources of uncertainties could be addressed in future developments. From a geometric standpoint, the horizons have been generated without consideration of interpretation and velocity uncertainties (e.g., Abrahamsen (1992);
Thore et al. (2002)). These sources of uncertainty could be incorporated into the stochastic process, for instance by the perturbation of the depth and thickness of the generated reservoir grids. A loop back computing synthetic seismic models from the realizations and comparing with the actual data could also be useful to rank the various stochastic interpretations generated by our approach.

In terms of petrophysics, the petrophysical and dynamic parameters were kept the same in all the generated reservoir models to highlight the impact of structural geometry uncertainties on flow simulations. However, a complete reservoir uncertainty study would definitely need to jointly assess the effects of fault segmentation and petrophysical uncertainty, by using also multiple petrophysical models. Moreover, the effects of the various structural configurations on capillary rock properties in the fault and relay zones should in principle be overprinted to the depositional petrophysical model, both in the deformed neighborhood of the fault (Rotevatn et al., 2009b; Fachri et al., 2013) and on the fault surfaces themselves (Manzocchi et al., 1999, 2002; Myers et al., 2007). Adding these relationships to the flow models could be interesting to better approach the true dynamic flow behavior of the simulated relay zones.

As compared to our approach, geometrical upscaling (Manzocchi et al., 2008b, 2010) deals with relay uncertainty by direct editing of transmissibilities on a pillar grid, assuming that faults are vertically aligned on grid pillars. The methodology proposed in this paper makes fewer assumptions about the fault geometry but leaves the discretization problems to the chosen stair-stepped gridding algorithm (Gringarten et al., 2008). Although the details of both methods vary, they are essentially both limited by the reservoir grid resolution, which can only represent the effect of the fault features as constant permeability within each grid block or as a
transmissibility multiplier between rock volumes. At this point, in spite of its pillar approximation, geometrical upscaling may be more accurate than our present implementation because it does integrate fault features in the computation of transmissibility multipliers. However, the possible effect of grid distortions in pillar grids may be a source of artifacts. Further comparison between our approach and geometrical upscaling is difficult because it strongly depends on implementation, so would certainly call for further studies. Nevertheless, other types of gridding algorithms could be used in our approach, such as the cut-cell method Mallison et al. (2014) for flow simulation. We also suggest that our workflow clears the path for more accurate modeling of coupled flow and mechanical processes in complex fault zones. Therefore, future work will aim to connect the stochastic workflow with unstructured gridding methods (Mustapha et al., 2011; Merland et al., 2014; Pellerin et al., 2014; Zehner et al., 2015) and advanced multiphysics codes (e.g., Matthäi et al. (2007); Paluszny et al. (2007)).

Nonetheless, the observed impact of fault segmentation on reservoir behavior confirms that relay zone uncertainties can be consequential for dynamic reservoir forecasts. This finding is consistent with many previous studies (e.g., Rotevatn et al. (2009a); Manzocchi et al. (2007); Myers et al. (2007); Manzocchi et al. (2008a)). The consequence of under-estimating fault uncertainty may lead to poor field development plans and inappropriate parameter selection in history matching tasks. The sensitivity study suggests that using only a small set of structural interpretations (or scenarios) may not be sufficient to capture the range of reservoir behavior uncertainties. This motivates further research to develop new interpretation and modeling approaches, for instance to integrate well tests early in the uncertainty assessment methodology to see if these allow to rule out some unrealistic structural scenarios.
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<td>$w_2$ Oil rate target control</td>
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