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# **Tomographic reconstruction of COMPASS tokamak edge** turbulence from single visible camera data and automatic turbulence stucture tracking

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Poster based on [Cavalier et al. 2019 Nucl. Fusion 59 056025]

| A. MOTIVATION  |  | C. EXPERIMENTAL SETUP                                |  |
|--|--|--|--|
| <ul> <li>Importance of turbulence in fusion devices</li> </ul>     | <ul> <li>Tomography with one camera</li> </ul> | <u>Camera details:</u>                               | • 270 kfps, 128x144 pixels, 2.1 µs             |
| <ul> <li>Hard to diagnose scrape-of-layer (high fluxes)</li> </ul> | <ul> <li>Light coming from neutral</li> </ul>  | <ul> <li>12 bits SA-X2 photron camera</li> </ul>     | <ul> <li>Mostly Dα</li> </ul>                  |
| • Optical diagnostics popular $\rightarrow$ visible camera         | naturally present in vessel                    | <ul> <li>CMOS sensor 20x20 µm<sup>2</sup></li> </ul> | <ul> <li>Resolution 0.4 mm at 28 cm</li> </ul> |

Raw image - 54196

• Light coming from interaction neutral/plasma • Gas-puff imaging to have 2D poloidal section • Not passive diagnostic  $\rightarrow$  perturbation [1]

• Passive diagnostic

• Just need 1 window + 1 camera

# **B. TOMOGRAPHIC TECHNIQUE [3,4]**

# **Different from SVD or least-squre methods**

Goal is to retrieve from a picture  $I_0$  the plasma emissivity  $S_0$ :

$$I_0(x,y) = \int_{s_c}^{+\infty} S_0\left(\psi(s_{xy}), \theta(s_{xy}), \varphi(s_{xy})\right) ds_{xy}$$

 $\psi$  is a flux coordinate,  $\theta$  a poloidal coordinate and  $\phi$  the toroidal angle

**3D** (space) to **2D** (camera chip) problem  $\rightarrow$  Assume constant emissivity along B  $S_0(\Psi,\theta,\phi) \rightarrow S_0(\Psi,\theta)$ 

• At  $\varphi_r$ , discretize the poloidal plane so that for  $\psi_{\lambda}$  an orthogonal basis:

$$S_0 = \sum_{\lambda=1}^{N_{\lambda}} s_{\lambda} \psi_{\lambda} = \sum_{\lambda=1}^{N_{\lambda}} \langle \psi_{\lambda} | S_0 \rangle \psi_{\lambda} \longrightarrow I_0 = K S_0 = \sum_{\lambda=1}^{N_{\lambda}} s_{\lambda} K \psi_{\lambda},$$

• Assuming K is inversible and taking advantage of the adjoint K\*:  $\langle Ka|b\rangle = \langle a|K^*b\rangle$ we define

$$\begin{array}{lll} K\psi_{\lambda} & = & \kappa_{\lambda}\chi_{\lambda} \\ K^{*}\xi_{\lambda} & = & \kappa_{\lambda}\psi_{\lambda} \end{array} \quad \text{With } \mathsf{k}_{\lambda} \text{ such that } ||\xi_{\lambda}||=1 \end{array}$$

• From the previous equations and since the  $\psi_{\lambda}$  is an orthogonal basis, it follows that:

$$S_0 = \sum_{\lambda=1}^{N_{\lambda}} \langle I_0 | \xi_{\lambda} \rangle \kappa_{\lambda}^{-1} \psi_{\lambda} \qquad \text{and} \qquad \langle \xi_{\lambda} | \chi_{\lambda'} \rangle = \begin{cases} 1 & \text{if } \lambda = \lambda' \\ 0 & \text{otherwise} \end{cases}$$





### Median filter calculated over 10 frames.

V SI SIVI A 0 otherwise  $\lambda = 1$ 

Gaussian filter with 5 pixels standard deviation

